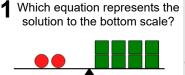


mobius

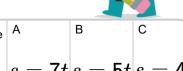
Balance Shapes - Simple Substitution -To Equation Answer





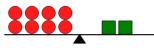
$$\overset{\scriptscriptstyle\mathsf{A}}{c} = 10t\overset{\scriptscriptstyle\mathsf{B}}{c} = 12t$$



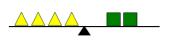




$$\overset{ extsf{c}}{c}=8t\overset{ extsf{d}}{c}=11t$$



$$s = 7t s = 5t s = 4t$$



E
$$c=10t+c$$

$$s=8t | s=6t |$$



$$oxed{9}{c=s} oxed{12}{c=s}$$

$$0 t = c
0 t = c$$



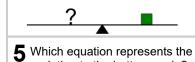
solution to the bottom scale?

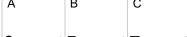
$$\overset{ extstyle e$$



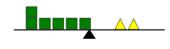
10c = s

$$egin{array}{c} { t E} \ { t 13}t+s=c \end{array}$$





$$\begin{vmatrix} c & c \end{vmatrix} = s$$
 4 $c = s$ 6 $c = s$



solution to the bottom scale?

$$9c = t$$
 $5c = t$ $7c = t$

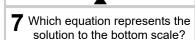


$$c=s$$
 4 $c=s$ 6 $c=s$

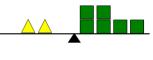


$$8c=t$$

$$t=s$$

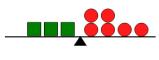


$$c \mid^{\scriptscriptstyle\mathsf{A}} \quad c = \mathsf{10}t + \mathsf{3}c$$



$$t = 7ct = 5ct = 6c$$

$$rac{c}{c} = 9t$$



$$t = 3ct = 4c$$

$$oxed{\mathsf{D}} c = \mathsf{9}t + c$$

$$t = 3ct = 4c$$

$$c = 9t + c$$