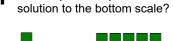


mobius

Balance Shapes - Substitution and Subtraction, Compound Answer - To



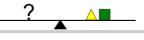
| 1 | Which equation repr | E | Q | Ų | Ā | IU | Π | H | Π | Sy | ve | Γ |
|---|---------------------|----------|---|---|---|----|---|---|---|----|----|---|

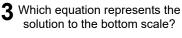










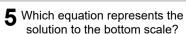








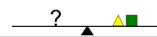


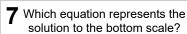














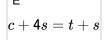


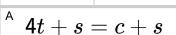


$$5c + 3s = t + s$$
 $5c + 4s = t + s$



$$4c + 4s = t + s c + s = t + s$$



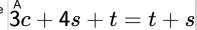


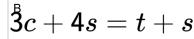
$$^{ extsf{B}}\!4t+s+c=c+s$$

$$^{ extsf{C}}$$
 3 $t+s=c+s$

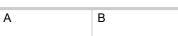
$$\delta t + s + c = c + s$$

$$5t+s+c=c+s$$

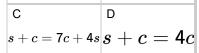


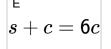


$$^{ c}2c+s=t+s$$





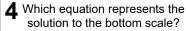






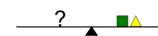


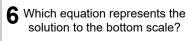












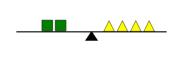






8 Which equation represents the solution to the bottom scale?







$$\begin{vmatrix} \mathsf{A} \\ \mathsf{3}t+s=c+s \end{vmatrix}$$
 $\mathbf{4}t+s=c+s$

$$3t=c+s$$
 $4t+2s=c+s$

$$3t = c + s$$

$$4t = c + s$$

$$s=s+t$$

$$\mid^{\mathtt{B}}$$
 $3c+s=s+t$

$$\mid^{\mathtt{c}}$$
 3 $c+t=s+t$

$$\begin{vmatrix} \mathtt{s} & \mathtt{3} s = s + t \end{vmatrix}$$

$$\left| \stackrel{ ext{the}}{t}
ight| \stackrel{ ext{the}}{t} + c = 3s + 2c + t$$

$$^{\scriptscriptstyle \mathrm{B}}$$
 $t+c=3s+c$

$$^{ extsf{c}}$$
 $t+c=$ 4 $s+$ 2 c

$$^{\scriptscriptstyle \mathrm{D}}t+c=5s+2c$$

$$^{\mathsf{E}}$$
 $t+c=3s+2c$

$$c+t=3tc+t=6t$$



$$c+t = 3t+cc+t = 3s+3t$$

$$c+t=3s+t$$