

mobius

Exponential Function Decay (Continuous) - Term to Meaning



a model of continuous reduction	$egin{aligned} C_0 \cdot e^{(-r \cdot t)} \ C_0 = ? \end{aligned}$
$\stackrel{ extstyle A}{r}= extstyle extst$	$Z_0 = rate$
$^{ extsf{C}}$ $r=time$ $^{ extsf{C}}$ $C_0=time$	
What does this term represent in a model of continuous decline of a whale population? $P=P_0\cdot e^{(-r\cdot t)} \text{What does this term represent in a model of continuous reduction of a toxin concentration?} C=r$	$egin{aligned} C_0 \cdot e^{(-r \cdot t)} \ t = ? \end{aligned}$
$\stackrel{ extstyle A}{r}= extstyle extst$	= time
$r={\sf rate}$ $t={\sf rate}$ $t={\sf final}$	al concentration
a model of continuous decay of a	$P_0 \cdot e^{(-r \cdot t)} \ P = ?$
extstyle e	nal population
$^{ extsf{c}}r= ext{rate of decay}$ $^{ extsf{c}}$ $P= ext{time}$	
What does this term represent in a model of continuous decay of a radioactive material? $R = R_0 \cdot e^{(-r \cdot t)}$ What does this term represent in a model of a continuously declining bacteria population? $P = R_0 \cdot e^{(-r \cdot t)}$	$egin{aligned} P_0 \cdot e^{(-r \cdot t)} \ t = ? \end{aligned}$
extstyle e	= time
$\hat{t}=$ final population	
$R_0=rate\ of\ decay$	