

mobius

Exponential Function Decay (Continuous) - Scenario to Equation



1

A radioactive material starts at an isotope concentration of 700ppm. It decays continuously at 2% per hour. After 8 hours it has decayed to an isotope concentration of 596ppm.

Which equation describes this scenario?

${\overset{A}{596}} = 700 \cdot e^{(-0.02 \cdot 8)}$	$_{596}^{B} = 200 \cdot e^{(-0.07 \cdot 8)}$
${ t C} { t 596} = 700 \cdot e^{(-0.08 \cdot 2)}$	$_{596}^{D} = 800 \cdot e^{(-0.02 \cdot 7)}$

2

A radioactive material starts at an isotope concentration of 200ppm. It decays continuously at 7% per day. After 5 days it has decayed to an isotope concentration of 140ppm.

Which equation describes this scenario?

$$igg|_{f 140}^{f A} = {f 500} \cdot e^{(-0.07 \cdot 2)}$$

$${f 1}^{ extsf{B}}{f 4}{f 0}={f 200}\cdot e^{(-0.07\cdot 5)}$$

3

A radioactive material starts at an isotope concentration of 400ppm. It decays continuously at 6% per hour. After 2 hours it has decayed to an isotope concentration of 354ppm.

Which equation describes this scenario?

$$egin{aligned} egin{aligned} {\sf A} \ 354 &= 200 \cdot e^{(-0.06 \cdot 4)} \ 354 &= 400 \cdot e^{(-0.02 \cdot 6)} \ 354 &= 400 \cdot e^{(-0.06 \cdot 2)} \end{aligned}$$

4

A bird population starts at 200. It declines continuously at 5% per quarter. After 7 quarters it has decreased to a population of 140.

Which equation describes this scenario?

5

A bird population starts at 300. It declines continuously at 9% per quarter. After 6 quarters it has decreased to a population of 174.

Which equation describes this scenario?

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6

A bird population starts at 600. It declines continuously at 2% per year. After 5 years it has decreased to a population of 542.

Which equation describes this scenario?

$$egin{aligned} extstyle A & 542 = 500 \cdot e^{(-0.02 \cdot 6)} \ extstyle 542 = 600 \cdot e^{(-0.02 \cdot 5)} \ extstyle C & 542 = 600 \cdot e^{(-0.05 \cdot 2)} \end{aligned}$$

7

A radioactive material starts at an isotope concentration of 800ppm. It decays continuously at 9% per hour. After 2 hours it has decayed to an isotope concentration of 668ppm.

Which equation describes this scenario?

$egin{aligned} A \ 668 = 200 \cdot e^{(-0.09 \cdot 8)} \end{aligned}$	$^{B}_{668} = 800 \cdot e^{(-0.09 \cdot 2)}$
${ extstyle C \over 668} = 900 \cdot e^{(-0.08 \cdot 2)}$	

8

A bird population starts at 200. It declines continuously at 4% per year. After 5 years it has decreased to a population of 163.

Which equation describes this scenario?

$oxed{A}163 = 200 \cdot e^{(-0.04 \cdot 5)}$	$egin{aligned} B \\ 163 &= 400 \cdot e^{(-0.02 \cdot 5)} \end{aligned}$
$egin{aligned} extstyle{\mathbb{C}} ext{163} = ext{500} \cdot e^{(-0.04 \cdot 2)} \end{aligned}$	