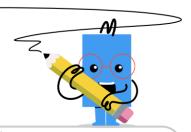


mobius

Exponential Function Growth (Continuous) - Term to Meaning



1	What does this term represent in
•	a model of continuous
	exponential growth of social
	media post views?

$$\hat{\ \ }r=\mathsf{rate}$$

$$r=\mathsf{rate}$$

$$egin{aligned} V &= V_0 \cdot e^{(r \cdot t)} \ r &= ? \end{aligned}$$

$$V=V_0\cdot e^{(r\cdot t)}igg|_r^{^{ extsf{B}}}=$$
 starting views $S=S_0\cdot e^{(r\cdot t)}igg|_r^{^{ extsf{B}}}=$ starting price

$$S = S_0 \cdot e^{(r \cdot t)} \ r = ?$$

$$r=\mathsf{starting}\;\mathsf{price}$$

$$t={\sf time}$$

 $r = \mathsf{time}$

$$\overset{\scriptscriptstyle\mathsf{B}}{t}=\mathsf{starting}\;\mathsf{price}$$

$$ec{t}=$$
 starting price $P=P_0\cdot e^{(r\cdot t)}$

$$S = S_0 \cdot e^{(r \cdot t)} \ t = ?$$

$${}^{^{\mathrm{c}}}\!t=\mathsf{final}\;\mathsf{price}$$

$$P_0 = ?$$

$$\stackrel{\mathsf{A}}{P_0} = \mathsf{starting}\ \mathsf{population}$$

 $P_0 = \mathsf{rate}$

$$r={\sf starting}\ {\sf downloads}$$

 $t = \mathsf{rate}$

$$\stackrel{\scriptscriptstyle\mathsf{A}}{} r = \mathsf{rate}$$

$$egin{aligned} A = A_0 \cdot e^{(r \cdot t)} \ r = ? \end{aligned}$$

$$\hat{\ \ }r=\mathsf{rate}$$

$$A = A_0 \cdot e^{(r \cdot t)}$$
 $r = \mathsf{rate}$ $P = P_0 \cdot e^{(r \cdot t)}$

$$r={\sf time}$$

$$r=?$$

$$r={\sf time}$$

$$\overset{ extsf{c}}{r}=$$
 starting population

r = final population

$$P = P_0 \cdot e^{(r \cdot t)}$$

$$egin{aligned} V = V_0 \cdot e^{(r \cdot t)} \ V_0 = ? \end{aligned}$$

$$P=P_0\cdot e^{\epsilon t} \ t=?$$

7

$$t={\sf time}_t$$
 = final cash

$$\hat{V}_0 = \mathsf{starting} \; \mathsf{views}$$

$$ec{V}_0 = \mathsf{final}\;\mathsf{views}$$

8