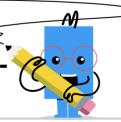


mobius

Exponential Function Solution Equation - Growth (Continuous) - Scenario to Time



1

A company's share price starts at \$300. It grows continuously at 5% growth per quarter. After a certain number of quarters it has a share price of \$331. Rearrange the exponential equation to solve for for the time given this scenario?

A t=	$=-\frac{\ln 331\cdot 300}{0.05}$	В	$t = +\frac{\ln\frac{331}{300}}{0.05}$
С	$t = + rac{ extsf{0.05}}{ extsf{ln} rac{331}{300}}$		

2

A bacteria population starts at 500. It grows continuously at 7% growth per day. After a certain number of days it has increased to a population of 575. Rearrange the exponential equation to solve for for the time given this scenario?

$$egin{array}{ccccc} {\sf A} & t = +rac{{\sf In}}{500} rac{575}{500} & & t = -rac{{\sf In}}{575} rac{575}{0.07} \ & t = +rac{0.07}{{\sf In}} rac{575}{500} & & & \end{array}$$

3

A credit card starts with \$300 of debt. It grows continuously at 5% interest per year. After a certain number of years the debt has grown to \$366.

Rearrange the exponential equation to solve for for the time given this scenario?

4

A credit card starts with \$800 of debt. It grows continuously at 6% interest per quarter.
After a certain number of quarters the debt has grown to \$1,079.

Rearrange the exponential equation to solve for for the time given this scenario?

$$egin{array}{c|c} {\sf A} & t = +rac{{\sf In} \, rac{1079}{800}}{0.06} & {\sf B} & t = +rac{0.06}{{\sf In} \, rac{1079}{800}} \ \hline {\it C} & t = -rac{{\sf In} \, 1079 \cdot 800}{0.06} \ \hline \end{array}$$

5

A savings account starts with \$400. It grows continuously at 7% interest per month. After a certain number of months it has \$700. Rearrange the exponential equation to solve for for the time given this scenario?

$$egin{array}{c|c} {\sf A} = -rac{{
m ln}\,700\cdot400}{0.07} & {\sf B} & t = +rac{0.07}{{
m ln}\,rac{700}{400}} \ {\sf C} & t = +rac{{
m ln}\,rac{700}{400}}{0.07} & {\sf C} &$$

6

An app starts with 200 downloads. Its download count grows continually by 6% each year. After a certain number of years it has 323 downloads.

Rearrange the exponential equation to solve for for the time given this scenario?

A In 323 · 200	B $t = +\frac{0.06}{333}$
$\iota = {0.06}$	$t = + rac{1}{\ln rac{323}{200}}$
$t = +rac{lnrac{323}{200}}{0.06}$	

7

A credit card starts with \$500 of debt. It grows continuously at 8% interest per year. After a certain number of years the debt has grown to \$875.

Rearrange the exponential equation to solve for for the time given this scenario?

8

A savings account starts with \$500. It grows continuously at 2% interest per year. After a certain number of years it has \$541.

Rearrange the exponential equation to solve for for the time given this scenario?

$$t = +rac{ \ln rac{541}{500}}{0.02} t = -rac{ \ln 541 \cdot 500}{0.02}$$