



## Exponential Function Growth (Continuous) - Meaning to Term

1 In this model of continuous growth of a rabbit population, which term represents the final population?

$$P = P_0 \cdot e^{(r \cdot t)}$$

final population = ?

A

$P$

B

$r$

C

$t$

2 In this model of continuous exponential growth of social media post views, which term represents the rate?

$$V = V_0 \cdot e^{(r \cdot t)}$$

rate = ?

A

$V_0$

B

$V$

C

$r$

3 In this model of continuously compounding growth of app downloads, which term represents the starting downloads?

$$A = A_0 \cdot e^{(r \cdot t)}$$

starting downloads = ?

A

$t$

B

$A_0$

C

$A$

D

$r$

4 In this model of continuously compounding growth of money in a savings account, which term represents the final cash?

$$P = P_0 \cdot e^{(r \cdot t)}$$

final cash = ?

A

$r$

B

$P$

C

$P_0$

5 In this model of continuous growth of a rabbit population, which term represents the starting population?

$$P = P_0 \cdot e^{(r \cdot t)}$$

starting population = ?

A

$P$

B

$P_0$

6 In this model of continuous growth of a bacteria population, which term represents the rate?

$$P = P_0 \cdot e^{(r \cdot t)}$$

rate = ?

A

$r$

B

$t$

7 In this model of continuously compounding growth of a share price, which term represents the final price?

$$S = S_0 \cdot e^{(r \cdot t)}$$

final price = ?

A

$r$

B

$t$

C

$S$

D

$S_0$

8 In this model of continuously compounding growth of a share price, which term represents the starting price?

$$S = S_0 \cdot e^{(r \cdot t)}$$

starting price = ?

A

$t$

B

$S_0$

C

$S$