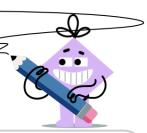


mobius

Function End Behaviour (Polynomials) - Rule to Function



$\begin{array}{ll} \textbf{1} & \textbf{highest power} = \textbf{odd} \\ & \textbf{this power and} \\ & \textbf{coefficient?} & \textbf{leading coefficient} = \textbf{positive} \end{array}$	$\begin{array}{ll} \textbf{2} & \text{ highest power} = \text{even} \\ & \text{this power and} \\ & \text{coefficient?} & \text{ leading coefficient} = \text{positive} \end{array}$
$f(x) = 5x^3 - 3x^2 - 3x$	$^{^{\land}}f(x)=4x^6+2x^5+2x^4$
$f(x) = -5x^3 - 3x^2 - 3x$	$f(x) = -4x^6 + 2x^5 + 2x^4$
Which function has this power and coefficient? highest power = odd leading coefficient = negative	Which function has this power and coefficient? highest power = even leading coefficient = negative
$^{^{A}}f(x) = -2x^3 - 4x^2 - 4x$	$^{^{\wedge}}f(x) = -4x^6 + 2x^5 + 2x^4$
$f(x) = -2x^2 - 4x - 4$	$^{ extstyle e$