

mobius

Linear Equation Systems - Simple Addition To Equation



Add or subtract multiples of the second equation to the first equation to form a single solvable	$\overset{\scriptscriptstyleA}{15}p=75$	75p=15	form a single solvable	$oxed{13x=13}^{ extsf{B}} oxed{104x=11}$
$egin{array}{l} 8n+\red{3}p=71 \ -4n+6p=2 \end{array}$	$\overset{ ext{c}}{2}p=$ 71	extstyle e	$12c+9x=132 \ -6c+2x=-14$	14x - 132 104x - 13
m _2	15p=15	75p=8	x = ?	13x = 132 $13x = 104$
Add or subtract multiples of the second equation to the first equation to form a single solvable	$\overset{\scriptscriptstyleA}{78}d=9$	в 78 $d=13$	Add or subtract multiples of the second equation to the first equation to form a single solvable	$egin{array}{cccccccccccccccccccccccccccccccccccc$
$egin{array}{l} 10x + 3d = 58 \ -2x + 2d = 4 \end{array}$	$\overset{ ext{c}}{4}d=58$	extstyle e	$egin{aligned} 4p+4n=28\ -2p+5n=0 \end{aligned}$	_
d=?	$egin{array}{c} { t E} \\ { t 13} d = { t 58} \end{array}$	extstyle e	n=?	$egin{array}{cccc} {\sf E} & 14n=28 \ & {\sf F} & 14n=14 \ \end{array}$
Add or subtract multiples of the second equation to the first equation to form a single solvable	$\overset{\scriptscriptstyleA}{10} y = 10$	$\overset{ extsf{B}}{20}y=10$	form a single solvable	$oxed{14z = 14}^{ extstyle{B}} oxed{2z = 34}$
$egin{array}{l} 2y+6n=52 \ 4y-3n=-16 \ \end{array}$	$\overset{ ext{c}}{10}y=$ 52	$egin{array}{c} extstyle extstyl$	$6y + \overset{ ext{ ext{ ext{ iny equation}}}}{8z = 34} \ -2y + 2z = -2$	$egin{bmatrix} c \ 14z = 34 \ 14z = 28 \end{matrix}$
y = ?	$\overset{\scriptscriptstyleE}{20}y=5$	$\overset{ extsf{F}}{10}y=20$	z=?	$egin{array}{c} { t E} { t 28}z = { t 5} { t 28}z = { t 14} { t } \end{array}$
Add or subtract multiples of the second equation to the first equation to form a single solvable	$\overset{\scriptscriptstyleA}{7}d=35$	35d=8	Add or subtract multiples of the second equation to the first equation to form a single solvable	$oxed{15p = 110}^{ ext{B}} oxed{90p = 9}$
$8r+3d=55 \ -4r+2d=-10$	c = c	$oxed{7}d=7$	$8x+9p=110 \ -4x+3p=-10$	$\overset{ extsf{c}}{90}p=15\overset{ extsf{d}}{-10}p=110$
d=?	$\overset{\scriptscriptstyleE}{35}d=7$	7d=55	p = ?	$egin{array}{c} exttt{E} \ 15p = 15 \ 15p = 90 \ \end{array}$