

mobius

Logarithmic Scales - Ratio and Magnitude to Magnitude



$$egin{align*} {
m pH}=-\log{
m [H^+]} & {
m Hydrogen~ion~concentration~as~one~with~a~pH~of~9.9~on~the~pH~scale,~what~is~it's~pH?} \ {
m H}^+]_2 & = 1,0000,000 \ {
m H}^+]_1 & = 9.9 & {
m pH}_1=9.9 & {
m pH}_2=3.9~{
m pH}_2=4.9 \ {
m pH}_2=$$

$$ext{dB}=10\log\left(rac{1}{I_0}
ight)$$
 a sound has 2,511,886 times the sound energy as one with a dB magnitude of 30 on the decibel scale, what is it's dB magnitude? $rac{I_2}{I_1}=2$, 511 , 886 $rac{A}{eta_2}=95$ dB $eta_2=94$ dB

$$\begin{array}{l} \frac{3}{\text{dB}} = 10\log\left(\frac{1}{I_0}\right)^{\text{If a sound has 2,511,886 times the sound}} \stackrel{\text{denergy as one with a dB magnitude of 30 on the decibel scale, what is it's dB magnitude?}}{\frac{1}{I_2}} = 2,511,886 \\ \beta_1 = 30\text{dB} \end{array} \stackrel{\text{A}}{\beta_2} = 95\text{dB} \\ \beta_2 = 95\text{dB} \\ \beta_2 = 94\text{dB} \end{array} \stackrel{\text{B}}{\beta_2} = 94\text{dB} \\ \begin{array}{l} \frac{1}{I_1} \\ M_1 = 6.2 \end{array} \stackrel{\text{If an earthquake has 1.26 times the wave size as one with a magnitude?}}{\frac{1}{I_0}} \stackrel{\text{If an earthquake has 1.26 times the wave size as one with a magnitude?}}{\frac{1}{I_0}} = 1.26 \\ M_1 = 6.2 \\ \end{array} \stackrel{\text{A}}{M_2} = 6.3 \\ M_2 = 6.8 \\ \end{array}$$

$$\begin{array}{l} \text{pH} = -\log\left[\text{H}^+\right] & \text{If a solution has } 630,957 \text{ times the Hydrogen ion concentration as one with a pH of } 8.2 \text{ one the pH scale, what is it's pH?} \\ \hline [\text{H}^+]_2 \\ \text{pH}_1 = 8.2 \end{array} = \begin{array}{l} \text{ff a solution has } 630,957 \text{ times the Hydrogen ion concentration as one with a pH of } 8.2 \text{ one with a dB magnitude of } 127 \text{ on the decibel scale, what is it's dB magnitude?}} \\ \hline [\text{H}^+]_1 \\ \text{pH}_2 = 3.9 \text{ pH}_2 = 3.9 \text{ pH}_2 = 2.4 \end{array} \\ \hline [\text{H}^+]_2 \\ \text{pH}_2 = 3.9 \text{ pH}_2 = 2.4 \end{array} = \begin{array}{l} \text{If a sound has } 1.58 \text{ times the sound energy as one with a dB magnitude?}} \\ \hline [\text{H}^+]_2 \\ \text{Implies the pH of } 8.2 \\ \text{Implies th$$

$$\begin{array}{l} {\sf pH} = -\log{\left[\mathsf{H}^+\right]} & {}^{\sf If a \ solution \ has \ 199,526 \ times \ the \ Hydrogen \ ion \ concentration \ as one \ with \ a \ pH \ of \ 12.2 \ on \ the \ pH \ scale, \ what \ is \ it's \ pH?} \\ \hline \frac{\left[\mathsf{H}^+\right]_2}{\left[\mathsf{H}^+\right]_1} = 199,526 \\ {\sf pH}_1 = 12.2 & {\sf pH}_2 = 6.9 \\ {\sf pH}_2 = 8.9 \end{array}$$

$$\begin{array}{l} \textbf{7} \\ \textbf{pH} = -\log\left[\textbf{H}^+\right] & \text{if a solution has 199,526 times the Hydrogen ion concentration as one with a pH of 12.2 on the pH scale, what is it's pH?} \\ \frac{[\textbf{H}^+]_2}{[\textbf{H}^+]_1} = 199,526 \\ \textbf{pH}_1 = 12.2 & \textbf{pH}_2 = 6.9 \\ \textbf{pH}_2 = 6.9 \\ \textbf{pH}_2 = 8.9 \\ \textbf{M} = \log\left(\frac{\textbf{I}}{\textbf{I}_0}\right) \\ \textbf{M} = \log\left$$

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