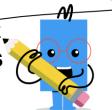


mobius

Quadratic Discriminants - Has Real Roots to Root Example



1		x = 5.46 $x = -1.46$	$x=rac{3.7\pm i\sqrt{7.2}}{5.9}$	Which roots would be examples of NOT having real roots?	
	Which roots would be examples of having real roots?			r = 0	$.6 \overset{\scriptscriptstyleB}{x} = rac{2 \pm i \sqrt{6}}{-1}$
					*
3		x = 8.8	$x=rac{-0\pm i\sqrt{30}}{-3}$	4	$egin{array}{c} {}^{A}x = 2.19 \ x = -1.52 \end{array} egin{array}{c} {}^{B}x = rac{2.4 \pm i \sqrt{6.6}}{4.4} \end{array}$
	Which roots would be examples of NOT having real roots?			Which roots would be examples of having real roots?	
5		$\overset{ ext{A}}{x}=-2.41 \ x=0.41$	$x = rac{8.7 \pm i \sqrt{7.4}}{8.6}$	6	$egin{array}{c} {}^{A}x = 0.73 \ x = -2.73 \end{array} egin{array}{c} {}^{B}x = rac{3.4 \pm i \sqrt{4.5}}{5.5} \end{array}$
	Which roots would be examples of having real roots?			Which roots would be examples of having real roots?	
7		A	В	Q	A. 6.02 B
1		$\overset{\scriptscriptstyle\wedge}{x}=6.6$	$x = \frac{-1 \pm i\sqrt{7}}{-2}$	0	$egin{array}{c c} \dot{x} = -6.83 \ x = -1.17 \end{array} egin{array}{c} {}^{B} & {}^{5.8 \pm i \sqrt{8.2}} \ 2.1 & \end{array}$
	Which roots would be examples of NOT having real roots?			Which roots would be examples of having real roots?	