

## mobius

## Probability Counting - Ways to Order 3 Letters, 0 Repeats - to Factorial Equation



(1	







How many distinct ways can these letter tiles be ordered? Show as a factorial.

Α	3!	В	$\frac{3!}{1! \cdot 2!}$	
С	3! 3! · 0!	D	3! 3!	

2







How many distinct ways can these letter tiles be ordered? Show as a factorial.

Α	3!	В	3!	
	<u>1! · 2!</u>		<u>1! ⋅ 3!</u>	
С	3!	D	3! 2!	
E	3! 3! · 0!	F	4!	

3





How many distinct ways can these letter tiles be ordered?
Show as a factorial.

Α	3! 3!	В	}	3! 3! · 0!	
С	$\frac{3!}{1! \cdot 3!}$	С	)	3!	

4





How many distinct ways can these letter tiles be ordered? Show as a factorial.

Α	$\frac{5!}{3!}$	В	3!
С	3!	D	3!
	1! · 3!		3! · 0!

5







How many distinct ways can these letter tiles be ordered?
Show as a factorial.

Α	3!	В	3!	
	$\overline{1! \cdot 2!}$		3! · 0!	
С	3!	D	4!	
	1! · 3!		<u>2!</u>	
E	3!	F	3!	
	<del>2</del> !		<b>J</b> :	

6







How many distinct ways can these letter tiles be ordered? Show as a factorial.

Α	5!	B - 3	3! ! · 0!
С	$\frac{4!}{2!}$	D	$\frac{3!}{2!}$
E	3!	F1	3! ! · 2!

7







How many distinct ways can these letter tiles be ordered? Show as a factorial.

Α	$\frac{3!}{1! \cdot 2!}$	В	3!	
С	$\frac{3!}{3! \cdot 0!}$			

8





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How many distinct ways can these letter tiles be ordered? Show as a factorial.

A	4! 2!	В	3!	
С	$\frac{3!}{1! \cdot 3!}$	D	3! 3!	
Е	3! 3! · 0!			